

# Modelling training loads and injury: methodological issues and improved strategies

#### **David Carey**

Kay Crossley, Rod Whiteley, Andrea Mosler, Kok-Leong Ong, Justin Crow, Meg Morris



# Modelling continuous variables:

# Modelling continuous variables: the dangers of Daniel Continuous variables.

**Discretisation** = transforming continuous → discrete

## **Discretisation** = transforming continuous → discrete

"...categorised based on z-score..."

```
"...split by percentiles..."

"...split into equal groups..."

"...values 1SD above the mean were classified as high..."

"...median split..."
```

## What did we do?

Used the study of **training loads** and **injury** to illustrate the issues caused by discretisation

## Acute:chronic workload ratio (ACWR) vs injury

Continuous variable

Binary outcome

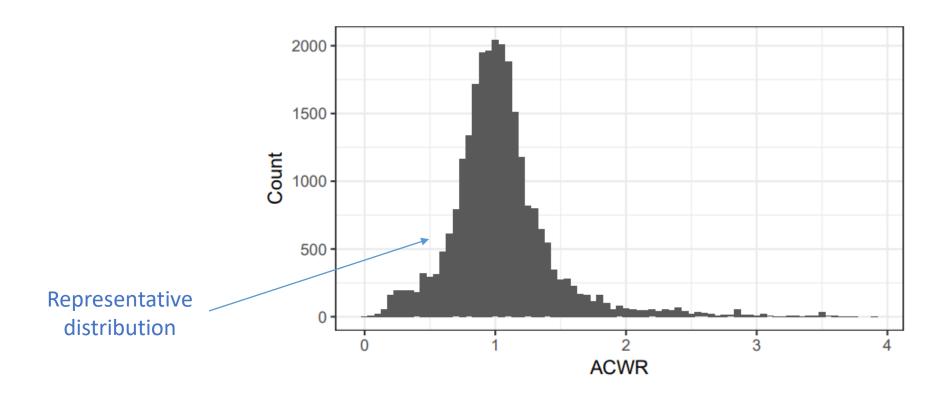
## Acute:chronic workload ratio (ACWR) vs injury

Continuous variable

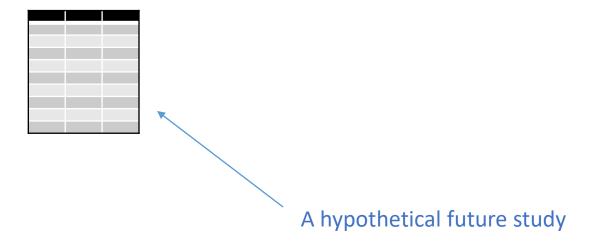
Binary outcome

Lots of previous studies looking at the **same** relationship Lots of **different** modelling strategies

• Got a large sample of workload data from **AFL** (n = 2,550) and **soccer** (n = 23,742)



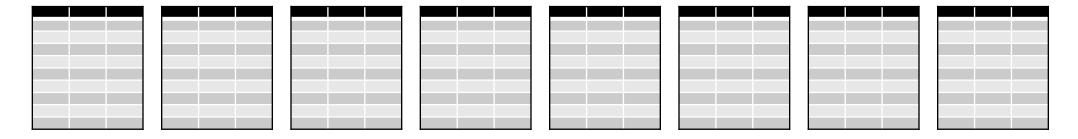
- Got a large sample of workload data from AFL (n = 2,550) and soccer (n = 23,742)
- Simulated a data set of 5000 observations by randomly drawing from the sample



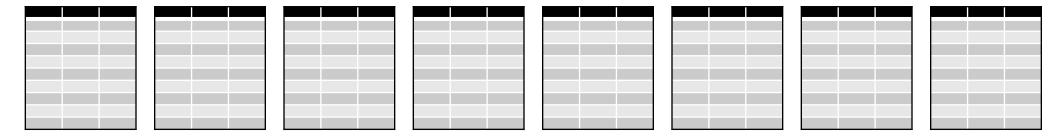
So we can also look at variability in results

• Got a large sample of workload data from AFL (n = 2,550) and soccer (n = 23,742)

• Simulated a data set of 5000 observations (100 times)



•••



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  - 3 x discretisation methods
  - 2 x continuous methods

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compared the results

#### **Discrete**

- D1: z-score categories
- D2: Percentiles
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- D2: Percentiles
- D3: Arbitrary cut points

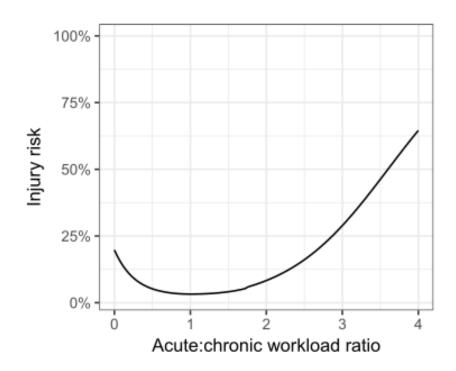
All have been used **multiple times** in existing literature

#### **Continuous**

- C1: Restricted cubic splines
- C2: Fractional polynomials

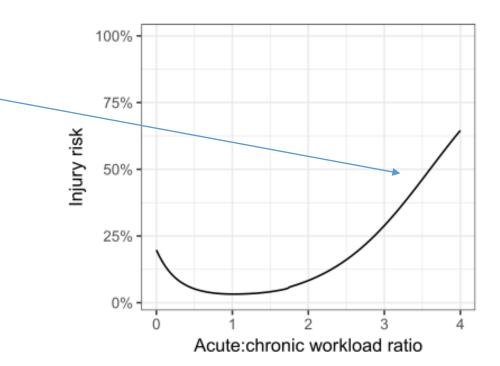
Have **not been used** in training load and injury studies

# Scenario 1: U-shaped risk



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Simulated **injuries** in all 100 data sets following this exact curve



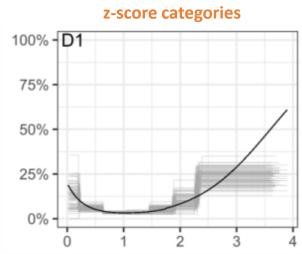
## Results

Injury risk

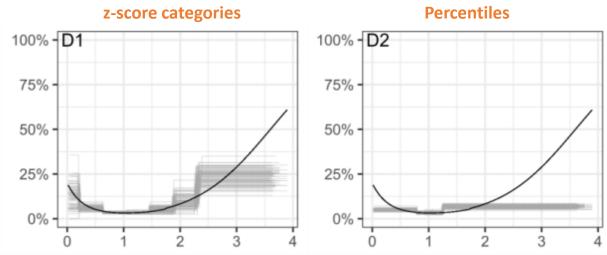
How well could each analysis method recover the **true relationship**?

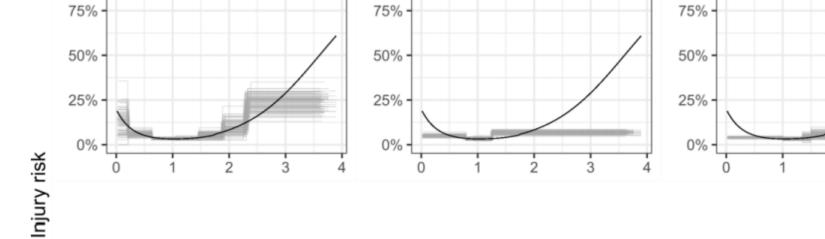
Acute:chronic workload ratio











100% **D2** 

z-score categories

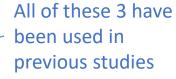
100% **- D1** 

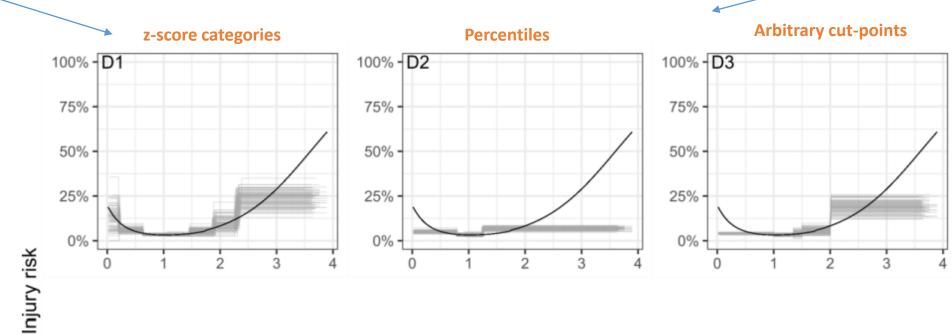
**Percentiles** 

**Arbitrary cut-points** 

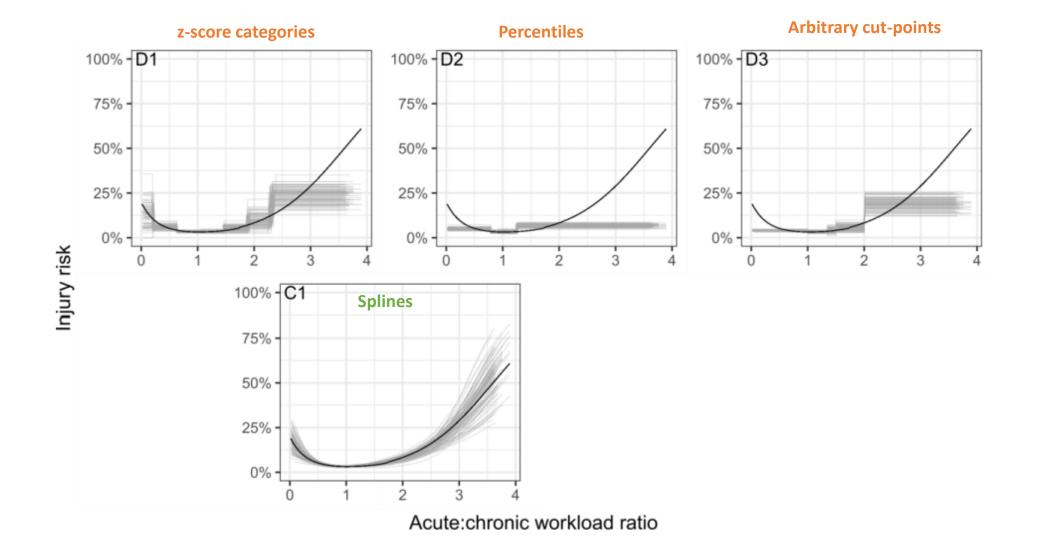
100% - D3

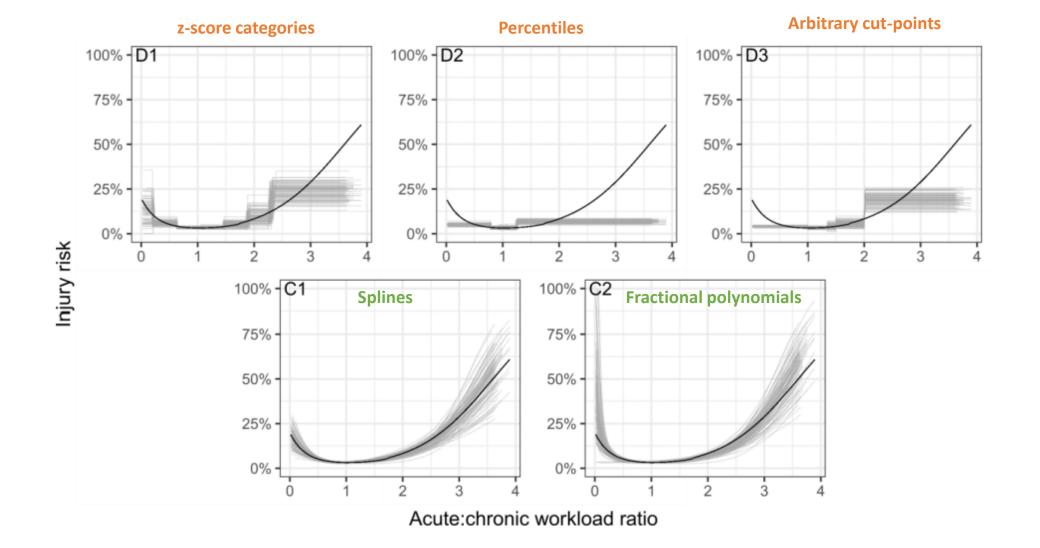
**Discretisation** forces the models to try and fit an **unrealistic** step profile

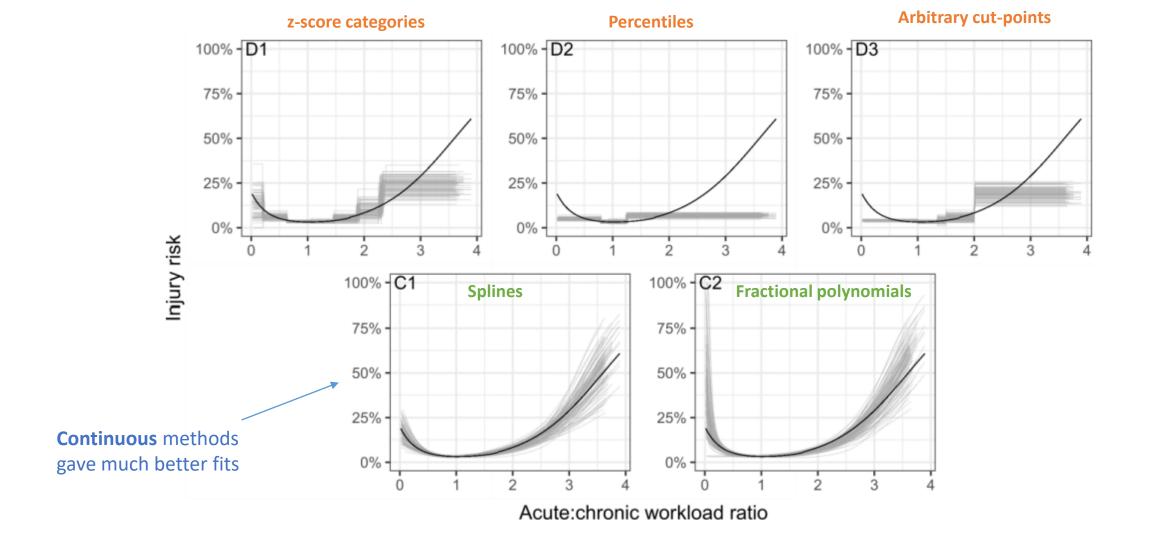




Acute:chronic workload ratio







# Take home message 1

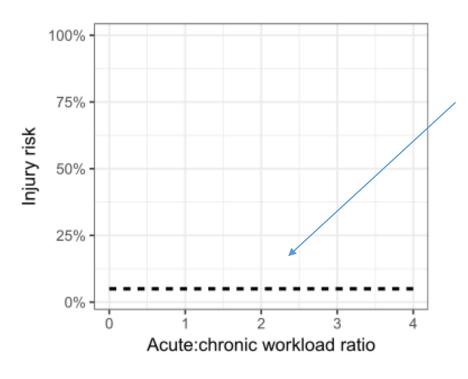
Discretisation can **hide** the real relationships in your data

## Take home message 1

# Discretisation can **hide** the real relationships in your data

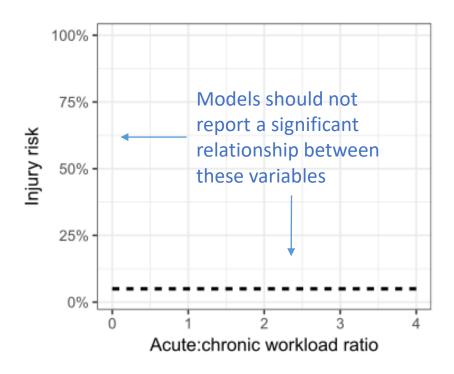
[don't waste all of your hard earned data by chopping up your variables]

## Scenario 2: Flat risk



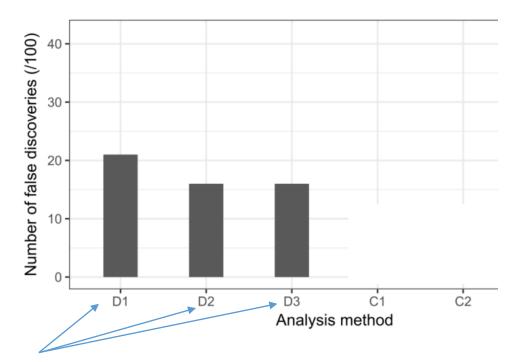
Represents scenario where workload has **no influence** on injury risk

## Scenario 2: Flat risk

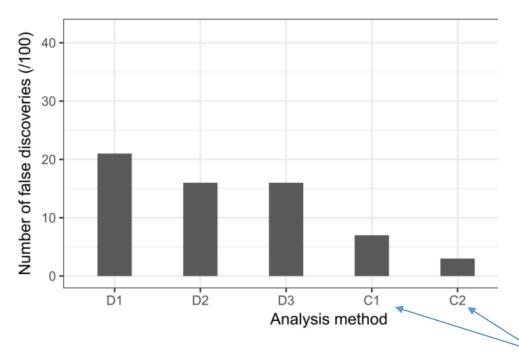


## Results

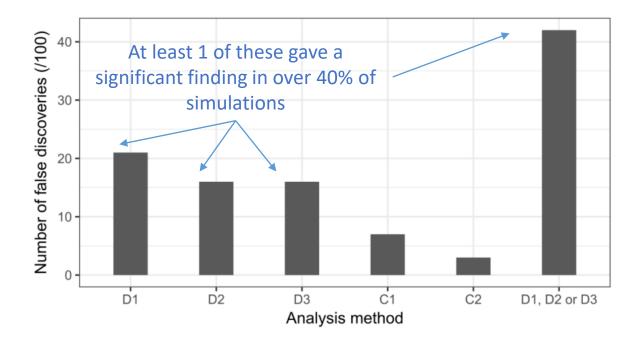
What fraction of the 100 simulated studies find a significant result?



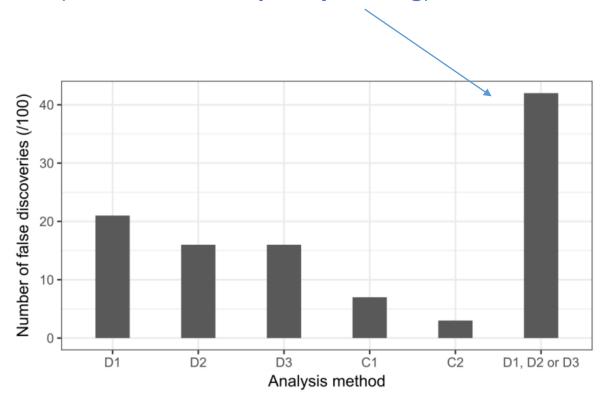
Discrete models had high false discovery rates (10-20%)



Continuous models were better (remember around 5% is expected)



If you try a few binning methods I think you are nearly **guaranteed** of getting a significant result (even if there is **explicitly nothing**)



## Take home message 2

Discretisation can **increase** the **false positive rate** 

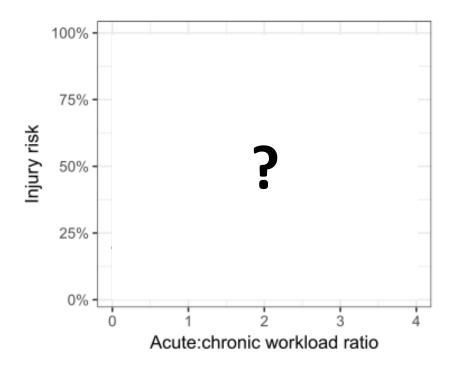
## Take home message 2

## Discretisation can **increase** the **false positive rate**

[don't fool yourself by chopping up your variables]

# But in practice we don't know the true risk shape

(how can we tell which model is best?)



## Typical evaluation metrics

Sensitivity

Specificity

• Likelihood ratio

ROC curves and AUC

## Typical evaluation metrics

Sensitivity

Specificity

• Likelihood ratio

ROC curves and AUC

These all rely on discretisation of probabilities

Probabilities are continuous

Typical avaluation matrice

Instead of discrete thresholds –

we should be looking at calibration and employing probabilistic reasoning

are

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#### Typical avaluation matrice

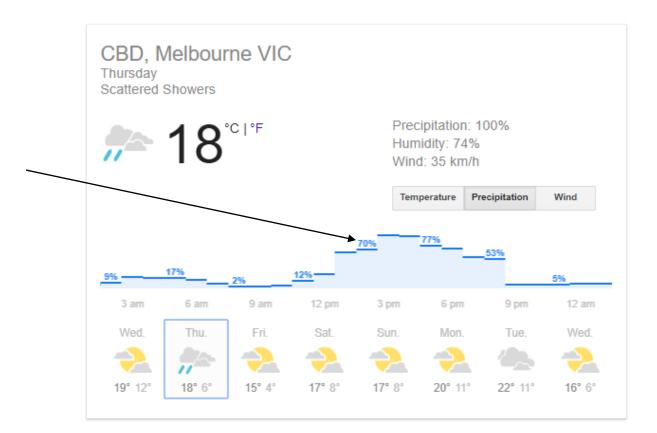
Instead of discrete thresholds –

 we should be looking at calibration and employing probabilistic reasoning

are

What is this? I want a decision rule

They give you a [continuous] probability and let you decide how much risk you're willing to accept





























18°°

Precipitation: 1009 Humidity: 74% Wind: 35 km/h

Are the probabilities well calibrated?

Does it rain on approx. 20% of the days the weather

model predicts 20% chance of rain.



CBD, Melbourne VIC
Thursday
Scattered Showers



18°°

Precipitation: 1009 Humidity: 74% Wind: 35 km/h

Are the probabilities well calibrated?

Did **injuries** occur on approx. 20% of the days the

injury model predicts 20% chance of injury.



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## What happens if we evaluate models with different metrics?

**Area under ROC vs Brier score** 

[discrete thresholds]

[calibration]

AUC

D1

D2

D3

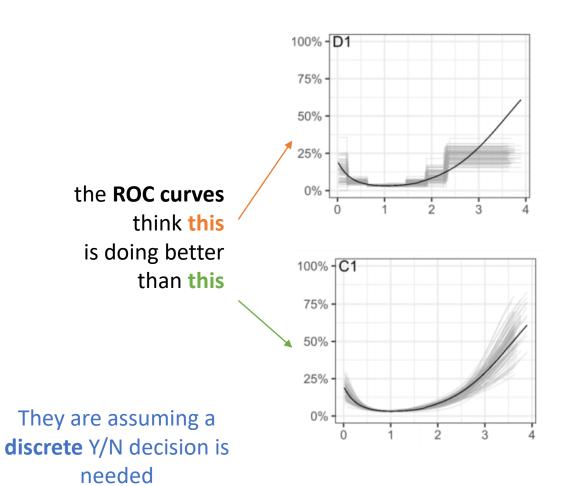
C1

 $\mathbf{C}'$ 

Evaluating using **ROC curves** leads to picking
discrete models as best
in **38/100** simulations

	AUC
D1	28
D2	2
D3	8
C1	35
C2	27

AUC
28
2
8
35
27



	AUC	Brier
D1	28	6
D2	2	0
D3	8	0
C1	35	80
C2	27	14

**Probabilistic** (continuous) scoring rules hardly ever rank the discrete models as better

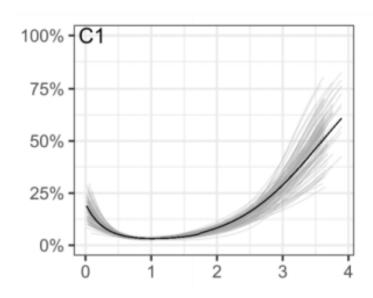
## Take home message 3

**Avoid** discrete scoring metrics

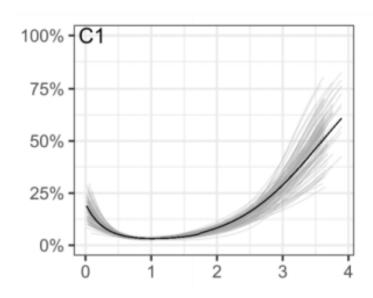
(AUC, Sensitivity, Specificity, Youden Index, ...)

for risk probability models

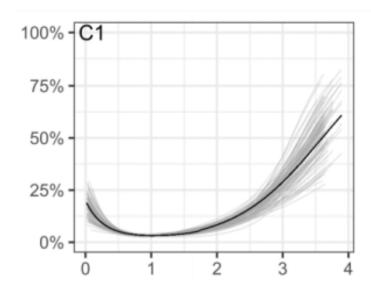
This is important – we may be missing a lot!



- ✓ Near perfect calibration
- ✓ Fits the signal in the data
- ✓ Could be used to manage injury risk



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- ✓ Could be used to manage injury risk
- Mean AUC = 0.61



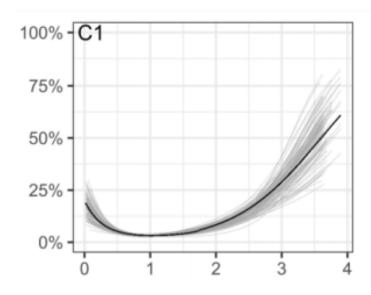
- ✓ Near perfect calibration
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#### Predictive Modelling of Training Loads and Injury in Australian Football

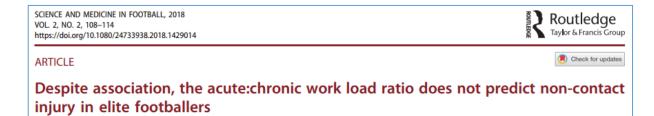
Carey, D. L. 1,4, Ong, K.2, Whiteley, R.3, Crossley, K. M.1, Crow, J.3,1, Morris, M. E.1

Predictive performance was only marginally better than chance for models of non-contact and non-contact time-loss injuries (AUC<0.65)

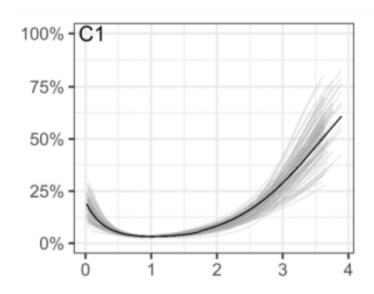
Injury prediction models built using training load data from a single club showed **poor ability to predict injuries** when tested on previously unseen data



- ✓ Near perfect calibration
- ✓ Fits the signal in the data
- ✓ Could be used to manage injury risk
- Mean AUC = 0.61



The ROC curve (Figure 1), the values AUC (90% CI) and the J for each load marker (Table 2) showed poor predictive ability of injury (AUC: 0.55–0.60)

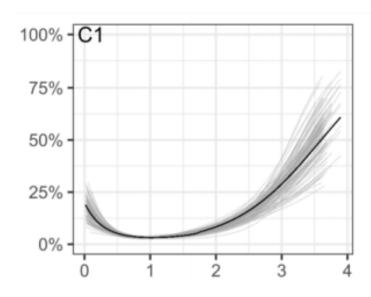


- ✓ Near perfect calibration
- ✓ Fits the signal in the data
- ✓ Could be used to manage injury risk
- Mean AUC = 0.61

## Workload and non-contact injury incidence in elite football players competing in European leagues

The AUC were 0.56 (4-weeks absolute workload), 0.56 (3-weeks), 0.54 (2-weeks) and 0.53 (1-week), respectively

No A:C workload combination was appropriate to predict injury



- ✓ Near perfect calibration
- ✓ Fits the signal in the data
- ✓ Could be used to manage injury risk
- Mean AUC = 0.61

Section: Original Investigation

**Article Title:** Greater Association of Relative Thresholds Than Absolute Thresholds With Noncontact Lower-Body Injury in Professional Australian Rules Footballers: Implications For Sprint Monitoring

Model accuracy for all workload thresholds and training variables were classed as low (AUC = 0.48-0.61).

#### Predictive Modelling of Training Loads and Injury in All TRUE



Check for updates

Carey, D. L. 1,4, Ong, K.2, Whiteley, R.3, Crossley, K. M.1, Crow, J.3,1, Morris, M. E.1

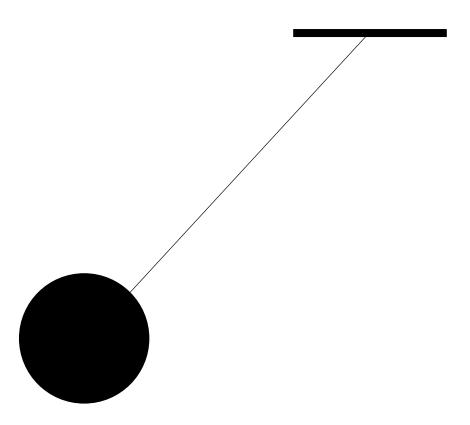
Despite association, the acute:chronic work load ratio does not predict non-contact injury in elite footballers

- Training load injury models typically have low AUC
  - Bad at predicting yes/no injury
- Section: Or But that's **not** what we should be focussing on

Article Title: Greater Association of Relative Thresholds Than Absolute Thresholds With Noncontact Lower-Body Injury in Professional Australian Rules Footballers: Implications For Sprint Monitoring

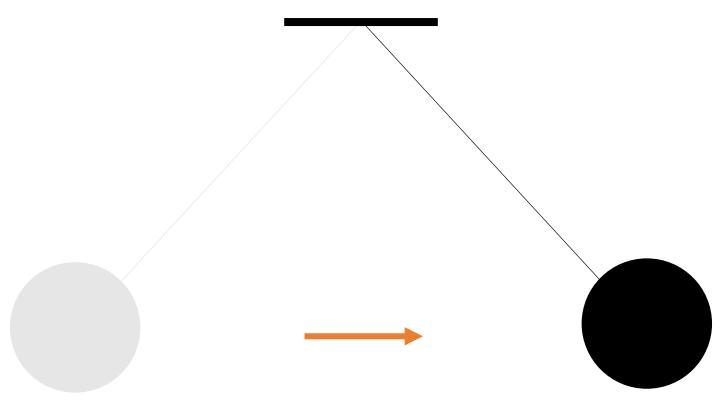
Workload and non-contact injury incidence in elite football players competing in European leagues

#### Research Pendulum



- Too many researcher degrees of freedom
- Very high risk of false positive results
- Inflated claims of prediction

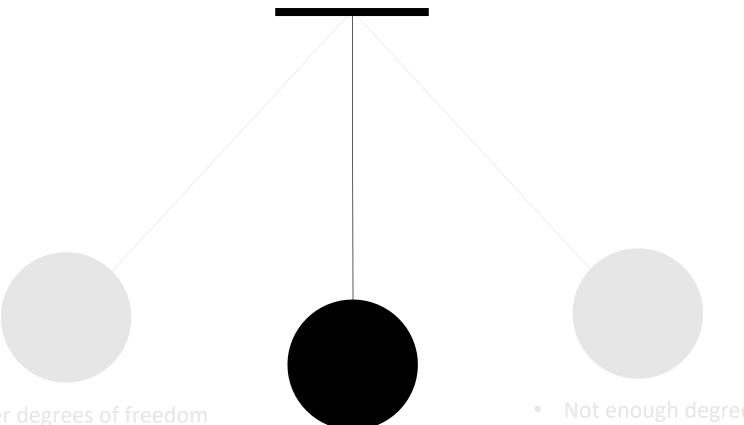
#### Research Pendulum



- To many researcher degrees of freedom
- Very high risk of false positive results
- Inflated claims of prediction

- Not enough degrees of freedom
- Evaluating binary classification performance (Sens, Spec, ROC)
- Showing what the model can't do

#### Research Pendulum



- To many researcher degrees of freedon
- Very high risk of false positive
- Inflated claims of prediction
- Be careful with choice of metrics (ACWR issues) ting binary classification
- Don't discretise
- Don't assume linear
- Don't test for binary prediction
- Are the probability estimates useful?
- Simplify

ting binary classification mance (Sens, Spec, ROC)



#### Journal of Clinical Epidemiology

Volume 110, June 2019, Pages 12-22



Review

A systematic review shows no performance benefit of machine learning over logistic regression for clinical prediction models

Evangelia Christodoulou <sup>a</sup>, Jie Ma <sup>b</sup>, Gary S. Collins <sup>b, c</sup>, Ewout W. Steyerberg <sup>d</sup>, Jan Y. Verbakel <sup>a, e, f</sup>, Ben Van Calster <sup>a, d</sup> ♀ ⊠

### To summarise:

## If you discretise:

## If you discretise:

Increase risk of finding nothing when there is something there
 († false negatives)

Increase risk of finding something if there is nothing there
 (↑ false positives)

Risk choosing the wrong model

## Supplementary message:

#### These findings apply to all continuous variables

[nothing special about training load]

Length, strength, weight, height, time, speed, angle, ...

#### Interested?



- Paper in MSSE
- Also examines issues with repeated measures
- Supplementary R code online

### Modeling Training Loads and Injuries: The Dangers of Discretization

DAVID L. CAREY<sup>1,2</sup>, KAY M. CROSSLEY<sup>1</sup>, ROD WHITELEY<sup>3</sup>, ANDREA MOSLER<sup>1,3</sup>, KOK-LEONG ONG<sup>4</sup>, JUSTIN CROW<sup>2</sup>, and MEG E. MORRIS<sup>1,5</sup>

<sup>1</sup>La Trobe Sport and Exercise Medicine Research Centre, College of Science, Health and Engineering, La Trobe University, Melbourne, AUSTRALIA; <sup>2</sup>Essendon Football Club, Melbourne, AUSTRALIA; <sup>3</sup>Rehabilitation Department, Aspetar Orthopedic and Sports Medicine Hospital, Doha, QATAR; <sup>4</sup>Research Centre for Data Analytics and Cognition, La Trobe University, Melbourne, AUSTRALIA; and <sup>5</sup>Healthscope, Northpark Private Hospital, Melbourne, AUSTRALIA

#### ABSTRACT

CAREY, D. L., K. M. CROSSLEY, R. WHITELEY, A. MOSLER, K.-L. ONG, J. CROW, and M. E. MORRIS. Modeling Training Loads and Injuries: The Dangers of Discretization. Med. Sci. Sports Exerc., Vol. 50, No. 11, pp. 2267-2276, 2018. Purpose: To evaluate common modeling strategies in training load and injury risk research when modeling continuous variables and interpreting continuous risk estimates; and present improved modeling strategies. Method: Workload data were pooled from Australian football (n = 2550) and soccer (n = 23,742) populations to create a representative sample of acute:chronic workload ratio observations for team sports. Injuries were simulated in the data using three predefined risk profiles (U-shaped, flat and S-shaped). One-hundred data sets were simulated with sample sizes of 1000 and 5000 observations. Discrete modeling methods were compared with continuous methods (spline regression and fractional polynomials) for their ability to fit the defined risk profiles. Models were evaluated using measures of discrimination (area under receiver operator characteristic [ROC] curve) and calibration (Brier score, logarithmic scoring). Results: Discrete models were inferior to continuous methods for fitting the true injury risk profiles in the data. Discrete methods had higher false discovery rates (16%-21%) than continuous methods (3%-7%). Evaluating models using the area under the ROC curve incorrectly identified discrete models as superior in over 30% of simulations. Brier and logarithmic scoring was more suited to assessing model performance with less than 6% discrete model selection rate. Conclusions: Many studies on the relationship between training loads and injury that have used regression modeling have significant limitations due to improper discretization of continuous variables and risk estimates. Continuous methods are more suited to modeling the relationship between training load and injury. Comparing injury risk models using ROC curves can lead to inferior model selection. Measures of calibration are more informative judging the utility of injury risk models. Key Words: ACUTE:CHRONIC WORKLOAD RATIO, INJURY RISK, ROC CURVES, CALIBRATION



## Thank you

- http://www.fharrell.com/2017/01/classification-vs-prediction.html
- Harrell, Frank E., et al. "Regression modelling strategies for improved prognostic prediction." Statistics in medicine 3.2 (1984): 143-152.
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